

# **Subject Information Guide**

# Introduction to Pure and Applied Experimental Mathematics

Semester Two, 2014

### Administration and contact details

Phone number	(02) 4921 7472
Name of Honours coordinator	Murray Elder
Homepage	http://www.carma.newcastle.edu.au/jon
Email Address	Jon.borwein@gmail.com
Phone number	02-4921-5535
Name of lecturer	Jonathan Borwein
Host Institution	University of Newcastle
Host Department	CARMA

## Subject details

Handbook entry URL	Click here to enter text.	
Subject homepage URL	http://www.carma.newcastle.edu.au/jon/honours10.html	
Honours student hand-out URL	Click here to enter text.	
Start date:	29/07/2014	
End date:	4/11/2014	
Contact hours per week:	Two +	
Lecture day and time:	Tuesday 10-12	
Description of electronic access	Dropbox and Web	
arrangements for students (for example,		
WebCT)		

## Subject content

#### 1. Subject content description

**Experimental Mathematics** is the use of a computer to run computations - sometimes no more than trial-and-error tests - to look for patterns, to identify particular numbers and sequences, to gather evidence in support of specific mathematical assertions, assertions that may themselves arise by



computational means, including search. Like contemporary chemists - and before them the alchemists of old - who mix various substances together in a crucible and heat them to a high temperature to see what would happen, today's experimental mathematician puts a hopefully potent mix of numbers, formulas, and algorithms into a computer in the hope that something of interest emerges.

This course will provide a rigorous introduction to Experimental Mathematics while also exploring a variety of pure and applied mathematical topics that the student may well not have seen during an undergraduate degree.

#### 2. Week-by-week topic overview

We will follow Chapters 1-7 of the textbook spending roughly two weeks on each:

J.M. Borwein and D.H. Bailey, <u>Mathematics by Experiment</u>: Plausible Reasoning in the 21st Century, Expanded 2nd edition, AK Peters, 2008.

#### 3. Assumed prerequisite knowledge and capabilities

A third year course in analysis is desirable. Some familiarity with Maple or Mathematica is useful but not essential.

#### 4. Learning outcomes and objectives

#### **Course Goals**

The successful student will emerge from this course with much enhanced abilities to:

- Use current mathematical computation tools
- Learn mathematics independently
- Formulate and refine conjectures
- Develop strategies for proof or refutation of new mathematics

#### AQF specific Program Learning Outcomes and Learning Outcome Descriptors (if available):

AQF Program Learning Outcomes addressed in this subject	Associated AQF Learning Outcome Descriptors for this subject
Insert Program Learning Outcome here	Choose from list below
Insert Program Learning Outcome here	Choose from list below
Insert Program Learning Outcome here	Choose from list below
Insert Program Learning Outcome here	Choose from list below
Insert Program Learning Outcome here	Choose from list below
Insert Program Learning Outcome here	Choose from list below
Insert Program Learning Outcome here	Choose from list below



#### Learning Outcome Descriptors at AQF Level 8 Knowledge K1: coherent and advanced knowledge of the underlying principles and concepts in one or more disciplines K2: knowledge of research principles and methods Skills S1: cognitive skills to review, analyse, consolidate and synthesise knowledge to identify and provide solutions to complex problem with intellectual independence S2: cognitive and technical skills to demonstrate a broad understanding of a body of knowledge and theoretical concepts with advanced understanding in some areas S3: cognitive skills to exercise critical thinking and judgement in developing new understanding S4: technical skills to design and use in a research project S5: communication skills to present clear and coherent exposition of knowledge and ideas to a variety of audiences **Application of Knowledge and Skills** A1: with initiative and judgement in professional practice and/or scholarship A2: to adapt knowledge and skills in diverse contexts A3: with responsibility and accountability for own learning and practice and in collaboration with others within broad parameters A4: to plan and execute project work and/or a piece of research and scholarship with some independence

#### 5. Learning resources

**Text** J.M. Borwein and D.H. Bailey, **Mathematics by Experiment**: Plausible Reasoning in the 21st Century, Expanded 2nd edition, AK Peters, 2008. (PDF versions of this and related texts will be available in the course Dropbox). The website for the course is

http://www.carma.newcastle.edu.au/jon/honours14.html

- 6. **Assessment** There will be three graded assignments each counting for 33.333...% of the final mark. In each case you will be asked to select 12 exercises (with my approval) from chapters in the Text and produce full answers in LaTeX, Maple documents, or similar form.
  - Week 4 Assignment 1 due (Chapters 1, 2 and 3)
  - Week 9 Assignment 2 due (Chapters 4, 5 and 6)
  - Week 14 Assignment 3 due (Chapters 7)

Exam/assignment/classwork breakdown						
Exam	Enter %	Assignment	Enter %	Class work	Enter %	
Assignment due dates		Click here to	Click here to	Click here to	Click here to	
		enter a date.	enter a date.	enter a date.	enter a date.	
Approximat	te exam date	xam date Click here to enter a date.			ter a date.	



# Institution Honours program details

Weight of subject in total honours assessment at host department	10 units from a total of 80 for the Honours year
Thesis/subject split at host department	50 units for courses and 30 units for thesis
Honours grade ranges at host department:	
H1	85-100 %
H2a	75-84 %
H2b	65-74 %
Н3	50-65 %